



CENTRE NATIONAL D'ÉTUDES SPATIALES

Processing of DORIS RINEX data and relationship with the “2.2” format

L. Cerri , F. Mercier

DORIS AWG Meeting, Paris, France, 23-24 May 2011

Contents

- DORIS RINEX format overview
- Measurement model
- Relationship with to 2.2 format

DORIS RINEX format overview

- Available for DGXX instruments tracking data
 - ◆ Jason-2 , Cryos-2
- These instruments deliver synchronous dual frequency phase and pseudo-range measurements (on seven simultaneous channels)
- Rinex format description available at ftp://ftp.ids-doris.org/pub/ids/data/RINEX_DORIS.pdf
- F. Mercier et al. , “Jason-2 DORIS phase measurement processing” , ASR, 2010

HEADER RECORD, ex: ja2rx11081.001

◆ Receiver information

```

3.00          0          D          RINEX VERSION / TYPE
Expert       CNES      20110323 071127 UTC PGM / RUN BY / DATE
G = GPS R = GLONASS E = GALILEO S = GEO M = MIXED D = DORIS COMMENT
JASON-2     SATELLITE NAME
2008-032A   COSPAR NUMBER
STILO       CNES      OBSERVER / AGENCY
CHAIN1     DGXX      1.00    REC # / TYPE / VERS
DORIS      STAREC    ANT # / TYPE
  
```

◆ Observables

```

1.1940      -0.5980      1.0220      APPROX POSITION XYZ
0.9768      0.0001      0.0011      CENTER OF MASS XYZ
D  10 L1 L2 C1 C2 W1 W2 F P T H      SYS / # / OBS TYPES
2011 03 22 00 00 28.8553281 DOR      TIME OF FIRST OBS
D  100 2 C1 C2      SYS / SCALE FACTOR
D          1.900     L2 / L1 DATE OFFSET
  
```

◆ Scale factor

```

49          # OF STATIONS
D01 BADB BADARY      12338S002 3 0      STATION REFERENCE
D02 COBB COLD BAY   49804S004 3 0      STATION REFERENCE
D03 PETE PETTO     50205S001 3 0      STATION REFERENCE
  
```

◆ Table of ground beacons

- Correspondence between internal Rinex identifier and DORIS beacon name
- Frequency shift factor

D17	PDMB	PONTA DELGADA	31906S002	3	0	STATION REFERENCE
D18	TLSB	TOULOUSE	10003S005	3	0	STATION REFERENCE
D19	GR3B	GRASSE	10002S018	3	-15	STATION REFERENCE
D20	GAVB	GAVDOS	12618S001	3	18	STATION REFERENCE
D21	BIOB	BIONYSOS	12602S012	3	0	STATION REFERENCE
D22	METB	METSAHOVI	10503S015	3	0	STATION REFERENCE
D23	REZB	REYKJAVIK	10202S003	3	0	STATION REFERENCE
D24	SPJB	NY-ALESUND	10317S005	3	0	STATION REFERENCE
D25	KRBB	KRASNOYARSK	12349S002	3	0	STATION REFERENCE
D26	KIUB	KITAB	12334S006	3	0	STATION REFERENCE
D27	JIUB	JIUFENG	21602S005	3	0	STATION REFERENCE
D28	MSPB	MOUNT STROMLO	50119S004	3	0	STATION REFERENCE
D29	ARFB	AREQUIPA	42202S007	3	0	STATION REFERENCE
D30	STJB	ST JOHN'S	40101S002	3	0	STATION REFERENCE
D31	THUB	THULE	43001S005	3	0	STATION REFERENCE
D32	EVEB	EVEREST	21501S001	3	0	STATION REFERENCE
D33	CIDB	CIBINONG	23101S003	3	0	STATION REFERENCE
D34	YASB	YARAGADEE	50107S011	3	0	STATION REFERENCE
D35	MIAB	MIAMI	49914S003	3	0	STATION REFERENCE
D36	GREB	GREENBELT	40451S176	3	0	STATION REFERENCE
D37	MALB	MALE	22901S002	3	0	STATION REFERENCE
D38	AMVB	AMSTERDAM	91401S005	3	0	STATION REFERENCE
D39	KETB	KERGUELEN	91201S005	3	0	STATION REFERENCE
D40	RILB	RIKITEA	92301S003	3	0	STATION REFERENCE
D41	YEMB	YELLOWKNIFE	40127S009	3	0	STATION REFERENCE
D42	DJIB	DJIBOUTI	39901S003	3	0	STATION REFERENCE
D43	MAHB	MAHE	39801S005	3	0	STATION REFERENCE
D44	REUB	LA REUNION	97401S002	3	0	STATION REFERENCE
D45	CRQB	CROZET	91301S003	3	0	STATION REFERENCE
D46	MATB	MARION ISLAND	30313S003	3	0	STATION REFERENCE
D47	SYPB	SYOWA	66006S003	3	0	STATION REFERENCE
D48	HBMB	HARTEBEESTHOEK	30302S008	3	0	STATION REFERENCE
D49	NOWB	NOUMEA	92701S003	3	0	STATION REFERENCE
		4				# TIME REF STATIONS
D06		10.570	22.250			TIME REF STATION
D15		0.019	-12.598			TIME REF STATION
D18		17.699	4.260			TIME REF STATION
D48		-0.092	0.000			TIME REF STATION
		2011	03	22	00	00 0.0000000
						TIME REF STAT DATE
						END OF HEADER

◆ Frequency shifted beacons

◆ Time reference beacons

PAUB
KRWB
TLSB
HBMB

DATA RECORD, ex: ja2rx11081.001

Epoch (reception time in the receiver time scale, t)

Sampling:

~~0, 3 sec,~~

10 sec,

~~13 sec,~~

20 sec,

...

										END OF HEADER	
>	2011	03	22	00	00	26.159947870	0	2	2.695380325	0	
D01	-845858.184	-3534377.894	-57363944.03002	-57362987.80202	-130.600	7					
	-123.250	7	3840.256	936.000	0	-14.900	0	51.000	0		
D02	-939750.901	-185190.570	-77721725.54607	-77721623.62607	-133.050	7					
	-118.350	7	3840.256	1003.398	1	3.025	1	85.326	1		
>	2011	03	22	00	00	29.159947870	0	2	2.695380325	0	
D01	-746274.766	-3514914.564	-57362489.77802	-57361533.49902	-130.600	7					
	-123.250	7	3840.256	936.000	0	-14.900	0	51.000	0		
D02	-949663.931	-187144.043	-77721871.48507	-77721769.56007	-133.050	7					
	-118.350	7	3840.256	1003.398	1	3.025	1	85.326	1		
>	2011	03	22	00	00	36.159947870	0	2	2.695379941	0	
D01	-515085.903	-3469359.587	-57357774.07602	-57357522.36202	-130.250	7					
	-125.350	7	3840.256	936.000	0	-14.900	0	51.000	0		
D02	-970645.752	-191278.730	-77721528.30407	-77722078.44407	-132.700	7					
	-118.000	7	3840.256	1003.398	1	3.025	1	85.326	1		
>	2011	03	22	00	00	39.159947870	0	2	2.695379941	0	

L1

L2

C1

C2

Measurements at "+3 sec."
are currently ignored in
CNES processing

DATA RECORD, ex: ja2rx11081.001

Receiver frequency offset

Receiver clock offset = $TAI - t = -\tau_r$

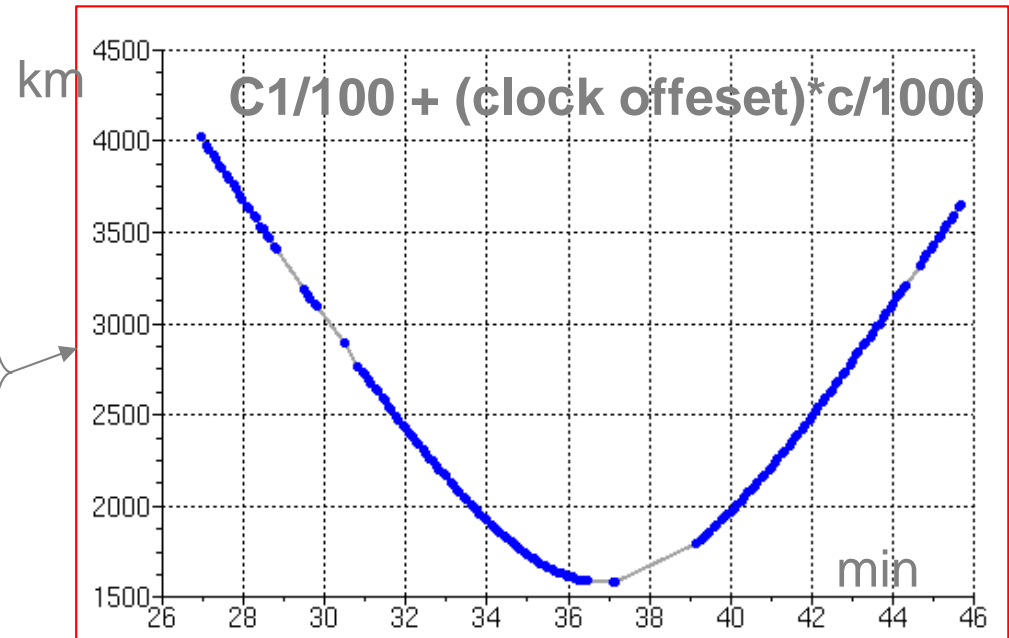
```

> 2011 03 22 00 00 26.159947870 0 2 2.695380325 0 END OF HEADER
D01 -845050.104 -3534377.894 -57363944.83802 -57362987.80202 -130.600 7
      -123.250 7 3840.256 936.000 0 -14.900 0 51.000 0
D02 -939750.901 -185190.570 -77721725.54607 -77721623.62607 -133.050 7
      -118.350 7 3840.256 1003.398 1 3.025 1 85.326 1
> 2011 03 22 00 00 29.159947870 0 2 2.695380325 0
D01 -746274.766 -3514914.564 -57362489.77802 -57361533.49902 -130.600 7
      103.050 7 3840.256 026.000 0 14.000 0 51.000 0
  
```

Example on D06 time reference beacon (PAUB) :

```

> 2011 03 22 08 26 56.159947870 0 1 2.694213632 0
D05 -12332279.319 0 -2430070.839 0 -60839149.41001 -60839219.89001 -118.000 7
      -108.900 7 3840.502 1004.000 0 14.300 0 94.000 0
> 2011 03 22 08 26 59.159947870 0 2 2.694213632 0
D05 -12296500.830 0 -2423020.736 0 -60838622.63701 -60838693.10601 -118.000 7
      -108.900 7 3840.502 1004.000 0 14.300 0 94.000 0
D06 -94425.500 1 -18605.224 1 -80368121.82817 -80369271.51917 -131.300 7
      -128.500 7 3840.502 1004.000 0 23.900 0 72.000 0
> 2011 03 22 08 27 6.159947870 0 2 2.694213248 0
D05 -12208853.065 0 -2405749.869 0 -60837320.68601 -60837376.17901 -118.000 7
      -109.600 7 3840.502 1004.000 0 14.300 0 94.000 0
D06 -357816.317 1 -70506.801 1 -80373244.40207 -80372895.11407 -129.900 7
      -123.950 7 3840.502 1004.000 0 23.900 0 72.000 0
> 2011 03 22 08 27 9.159947870 0 2 2.694213248 0
D05 -12169526.395 0 -2398000.582 0 -60836741.67501 -60836797.15601 -118.000 7
      -109.600 7 3840.502 1004.000 0 14.300 0 94.000 0
D06 -470624.823 1 -92735.871 1 -80374905.24407 -80374555.97407 -129.900 7
      -123.950 7 3840.502 1004.000 0 23.900 0 72.000 0
> 2011 03 22 08 27 16.159947870 0 2 2.694212864 0
D05 -12073717.065 0 -2379121.466 0 -60835525.93201 -60835326.59701 -118.700 7
      -109.250 7 3840.502 1004.000 0 14.300 0 94.000 0
D06 -733663.431 0 -144567.965 0 -80378763.56507 -80378181.95907 -129.550 7
      -122.900 7 3840.502 1004.000 0 24.000 0 72.000 0
> 2011 03 22 08 27 19.159947870 0 2 2.694212864 0
  
```



Phase measurement model (noise and model errors omitted)

Beacon ref. point → Sat. CoM

2GHz phase count

Phase center correction

windup

2GHz ionospheric delay

Clock offset

$$\lambda_1 L_1 = d_0 + d_T + d_1 + \lambda_1 l_w - e + c\tau + k_1$$

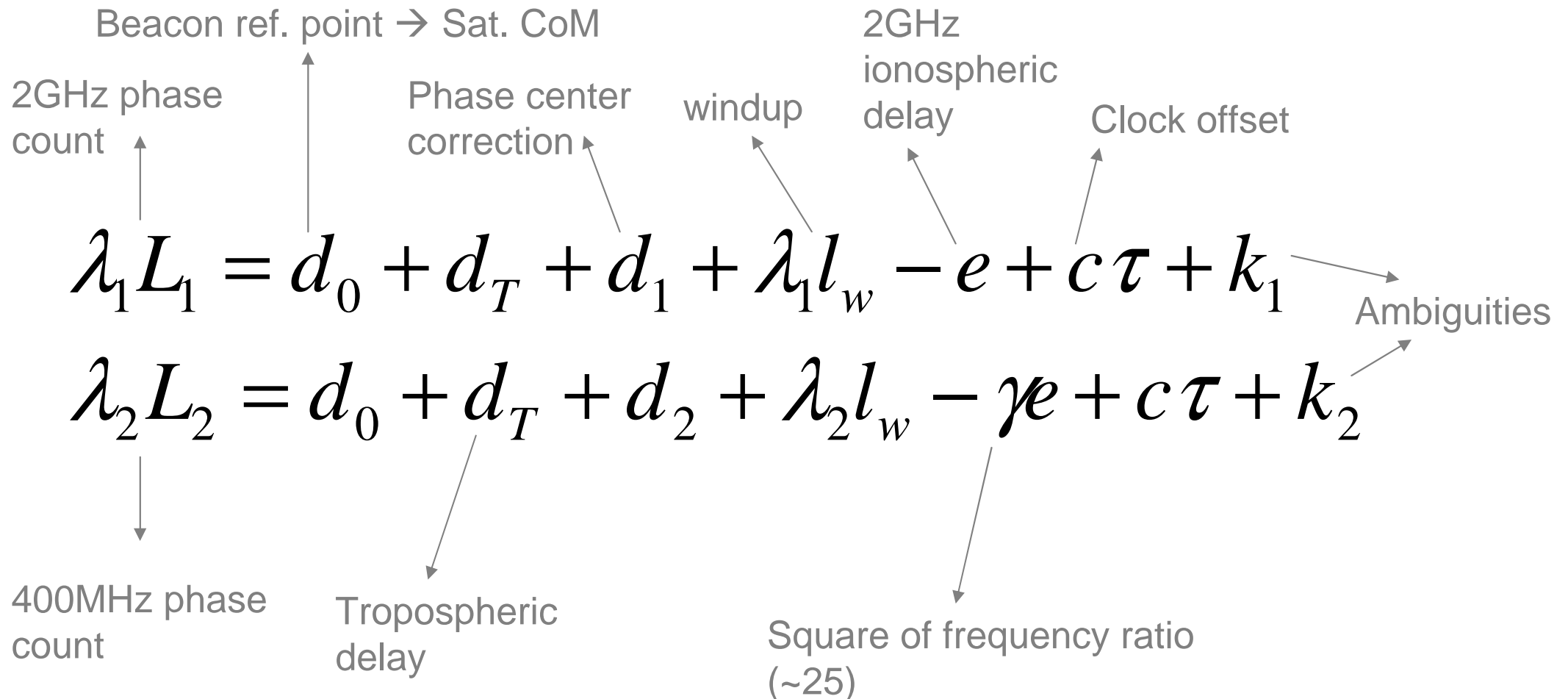
Ambiguities

$$\lambda_2 L_2 = d_0 + d_T + d_2 + \lambda_2 l_w - \gamma e + c\tau + k_2$$

400MHz phase count

Tropospheric delay

Square of frequency ratio (~25)



The diagram illustrates the phase measurement model for two frequencies, 2GHz and 400MHz. The equations are:

$$\lambda_1 L_1 = d_0 + d_T + d_1 + \lambda_1 l_w - e + c\tau + k_1$$

$$\lambda_2 L_2 = d_0 + d_T + d_2 + \lambda_2 l_w - \gamma e + c\tau + k_2$$

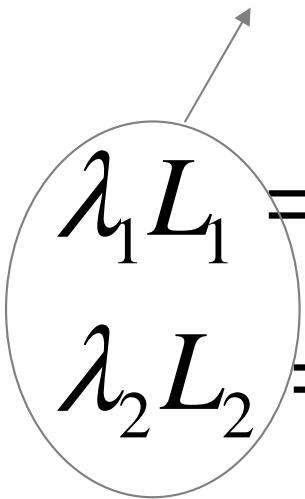
Arrows indicate the following associations:

- $\lambda_1 L_1$ is labeled as "2GHz phase count".
- $\lambda_2 L_2$ is labeled as "400MHz phase count".
- d_0 is labeled as "Beacon ref. point → Sat. CoM".
- d_T is labeled as "Tropospheric delay".
- d_1 and d_2 are labeled as "Phase center correction".
- $\lambda_1 l_w$ and $\lambda_2 l_w$ are labeled as "windup".
- e is labeled as "2GHz ionospheric delay".
- γe is labeled as "Square of frequency ratio (~25)".
- $c\tau$ is labeled as "Clock offset".
- k_1 and k_2 are labeled as "Ambiguities".

Phase measurement model

See also backup slide “Frequency shifted beacons” for more details

phase count L : phase is counted on the – (received – nominal) beat frequency; on board nominal frequencies are always 2036.25 MHz and 401.25 MHz



$$\lambda_1 L_1 = d_0 + d_T + d_1 + \lambda_1 l_w - e + c\tau + k_1$$

$$\lambda_2 L_2 = d_0 + d_T + d_2 + \lambda_2 l_w - \gamma e + c\tau + k_2$$

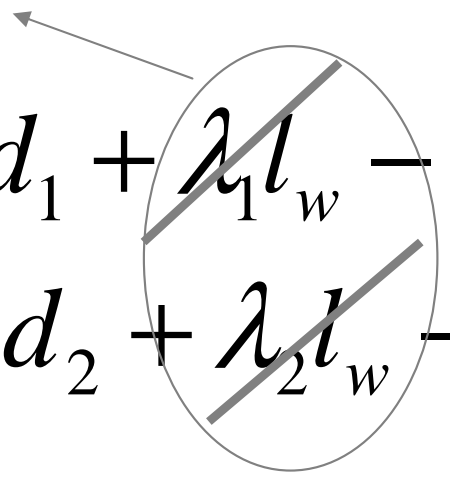
Ground nominal frequencies are generally the same as on-board nominal frequencies, except for frequency shifted beacons (k-factor $\neq 0$)

$$c/\lambda_1 = 543 \cdot 5e6 \cdot (3/4 + 87 \cdot K / (5 \cdot 2^{26})) \text{ and } c/\lambda_2 = 107 \cdot 5e6 \cdot (3/4 + 87 \cdot K / (5 \cdot 2^{26}))$$

Phase measurement model

Phase windup is currently not modeled

(partly accommodated by estimating a bias per pass for LEO satellites)


$$\lambda_1 L_1 = d_0 + d_T + d_1 + \cancel{\lambda_1 l_w} - e + c\tau + k_1$$
$$\lambda_2 L_2 = d_0 + d_T + d_2 + \cancel{\lambda_2 l_w} - \gamma e + c\tau + k_2$$

Iono-free phase measurement model

$$\lambda_c L_c = d_c + c\tau + a$$

$$\lambda_c L_c \equiv \frac{\gamma\lambda_1 L_1 - \lambda_2 L_2}{\gamma - 1}$$

iono-free combination of the phase measurements

Iono-free phase measurement model

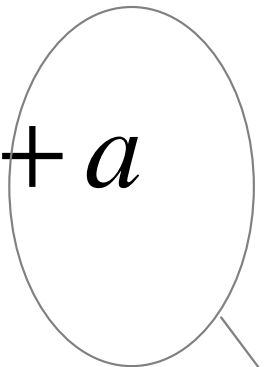
$$\lambda_c L_c = d_c + c\tau + a$$

Propagation distance between iono-free phase centers

$$d_c \equiv d_0 + \frac{\gamma d_1 - d_2}{\gamma - 1} + h_{dry} + m_{wet} h_{z,wet}$$

tropospheric delay d_T

Iono-free phase measurement model

$$\lambda_c L_c = d_c + c\tau + a$$

$$a \equiv \frac{\gamma k_1 - k_2}{\gamma - 1}$$

Ambiguity:

bias per each set of continuous phase measurements

eliminated by differentiating measurements at successive epochs (classical Doppler-like processing) within the same set

Ionosphere-free phase measurement model

$$\lambda_c L_c = d_c + c\tau + a$$

$$c\tau \equiv c(\tau_r - \tau_e)$$

Clock offset:

polynomial clock models are currently used to model the receiver τ_r and emitter τ_e clock offsets


The independent variable used for clock models is the on-board time (hereafter designated with t).

Relationship between on-board time t and TAI (T) is given by $t = T + \tau_r$

(see pseudorange definition in the RINEX format document)

Clock models

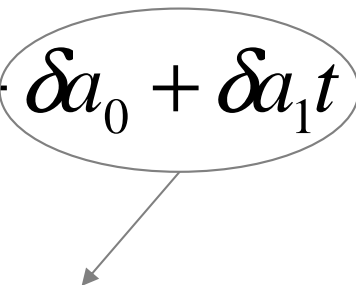
■ Emitter (beacon) clock model:

$$\tau_e = a_0 + a_1 t + \delta a_0 + \delta a_1 t$$


A-priori clock-offset model is either 0 or the value given by the linear model in the TIME_REF_STATION section of the rinex header

Clock models

■ Emitter (beacon) clock model:

$$\tau_e = a_0 + a_1 t + \delta a_0 + \delta a_1 t$$


In general, a linear clock model per pass should be estimated for all beacons.

In the case of doppler-like processing, the δa_0 term is eliminated by differentiating measurements at successive epochs within the same pass. The δa_1 coefficient is equivalent to the usual frequency bias per pass

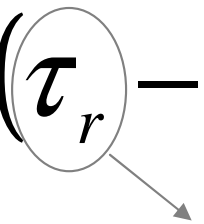
Clock models

■ Receiver clock model:

- ◆ Available in the RINEX file's data records (τ_r)
- ◆ ...or computed using the pseudo-range measurements:
in this latter case, the clock model is a deg. 2 or 3 polynomial (depending on the arc length), whose coefficients are estimated
(see slide on pseudo-range measurement model)

$$\tau_r = \sum_{i=0}^N b_i t^i$$

Pseudo-range measurement model (noise and model errors omitted)

$$C = d + c(\tau_r - \tau_e)$$
$$\tau_r = \sum_{i=0}^N b_i t^i$$


- Given the level of noise (~1km), it is not important whether C is the iono-free combination or not
- d is the propagation distance, it can be computed with an orbit having ~ 100 m accuracy (for < 1 microsec. accuracy)
 - ◆ An extrapolated orbit over 2 days is usually sufficient (MOE-like processing)
- Our datation processing
 - ◆ measurements from time ref. beacons only
 - ◆ MOE: 2-day batch, solve for b_0, b_1, b_2 , all time ref. beacons held fixed
 - ◆ POE: 10-day batch, solve for b_0, \dots, b_3 , solve for a bias per time ref. beacon (TLSB fixed)

Processing equation summary for the Doppler case

$$\lambda_c \Delta L_c = \Delta d_c + \Delta m_{wet} h_{z,wet} + c \Delta \tau_r + \Delta t \cdot c \delta a_1 + \text{errors and noise}$$

- Δ represents the operator that differentiate two successive measurements within the same pass
- The zenith wet tropospheric delay and the beacon clock drift are estimated per pass
- The receiver clock is assumed to be known (from polynomial model or from Rinex data record) – errors in this model will be partly accommodated by δa_1

Processing equation of the DORIS observable in 2.2 format

- 2.2 format: every quantity refers to the 2GHz frequency
- The only time-scale is TAI, hereafter indicated with T
- The observable is an average range rate V , computed over the count interval ΔT , *defined as*

$$V \equiv \frac{c}{f_1} \left(f_1 - \langle f_{sat} \rangle - \frac{D}{\Delta T} \right)$$

Nominal beacon frequency (including k-factor shift) $\leftarrow f_1$
 Best estimate of the actual satellite frequency (includes long term drift of the clock wrt to TAI) $\leftarrow \langle f_{sat} \rangle$
 Count interval (TAI) $\leftarrow \Delta T$
 2GHz cycle count $\leftarrow \frac{D}{\Delta T}$

(Definition given in <ftp://ftp.ids-doris.org/pub/ids/data/doris22.fmt>)

RINEX L1 observable → 2.2 format radial rate observable

$$D = -\Delta L_1$$

In the RINEX file, the sign of the phase count L is changed to be consistent with the pseudo-range

$$\Delta T = \Delta t - \Delta \tau_r$$

Relationship between TAI (T), on-board time (t), and clock error (τ)

$$\Delta \phi \equiv \int_{T_0}^{T_0 + \Delta T} f_{sat}(T) dT$$

$$\langle f_{sat} \rangle \equiv \frac{\Delta \phi}{\Delta T}$$

$$\Delta t \equiv \frac{\Delta \phi}{f_{sat,0}}$$

$$\Rightarrow \langle f_{sat} \rangle = f_{sat,0} \frac{\Delta t}{\Delta T}$$

$\langle f_{sat} \rangle$ is the mean frequency over the count interval

This is how we compute the radial rate observable in 2.2 files

$$V \equiv \frac{c}{f_1} \left(f_1 - \langle f_{sat} \rangle - \frac{D}{\Delta T} \right)$$

2.2 format radial rate observable → RINEX L1 observable

$$V = \frac{\Delta d_0 - c\Delta\tau_e}{\Delta T}$$

In the 2.2 file , the radial rate observable is the relative velocity between the beacon reference point and the satellite CoM, uncorrected for the beacon frequency bias

$$\frac{c}{f_1} \left(f_1 - \langle f_{sat} \rangle - \frac{D}{\Delta T} \right) \cdot \Delta T = \Delta d_0 - c\Delta\tau_e$$

Using the same expression as in the previous slides ...

$$-c\Delta\tau_r + \lambda_1 L_1 = \Delta d_0 - c\Delta\tau_e$$



$$\lambda_1 \Delta L_1 = \Delta d_0 + c(\Delta\tau_r - \Delta\tau_e) + \text{corrections...}$$

Data corrections in 2.2 format

- Ionospheric delay rate

$$\frac{\Delta e}{\Delta T} = \frac{1}{\Delta T} \left(\frac{\lambda_1 \Delta L_1 - \lambda_2 \Delta L_2}{(\gamma - 1)} - \frac{\Delta d_1 - \Delta d_2}{(\gamma - 1)} \right)$$

- Phase center correction rate

$$-\frac{\Delta d_1}{\Delta T}$$

2.2 format: "All corrections (ionosphere, troposphere, and center of mass) should be added to observed values or subtracted from computed values"

- Tropospheric delay rate

$$\frac{\Delta d_T}{\Delta T} = -\frac{\Delta h_{dry} + \Delta m_{wet} h_{z,wet}}{\Delta T}$$

- The above corrections are computed with a preliminary orbit determination process

Conclusion

- We encourage users to move towards the “new” RINEX format
- RINEX allows each analysis center to be independent from CNES data preprocessing, as users have access synchronous dual frequency phase and pseudorange measurements
- 3 years of data (from Jason-2 launch) exist in both formats (2.2 and RINEX) → allows validation
- Measurement model is more clearly formulated
- 2.2 data production should stop at some point in time (HY2A?)

backups

Frequency shifted beacons (k-factor)

■ **L**: counted on the – (received – nominal) beat frequency $L = -(\varphi_r - \varphi_0) + k$

■ Relationship between phase and receiver time $t \equiv \frac{\varphi_0}{f_0} + const., t = T + \tau_r$

■ On board nominal frequency : $k=0$ (always 2036.25 MHz and 401.25 MHz)
Received phase = phase at emission time (subscript e denotes emitter)

$$L = -f_k (T_e + \tau_e) + f_0 (T + \tau_r) = f_k (T - T_e) + f_k (\tau_r - \tau_e) + c \left(\frac{f_0 - f_k}{f_k} \right) t$$

L is the phase count on either one of the 2 frequencies; ambiguities omitted

$$\frac{c}{f_k} L = d + c\tau + c \frac{f_0 - f_k}{f_k} t$$

→ This term has been omitted in the phase measurement model. It is = 0 except for frequency shifted beacons (today GAVB, GR3B). If omitted, it is accommodated by the estimated beacon clock drift per pass

In the equation above **d** is the full propagation path;
including all corrections (tropo, iono, phase center, windup)